

5 - 5

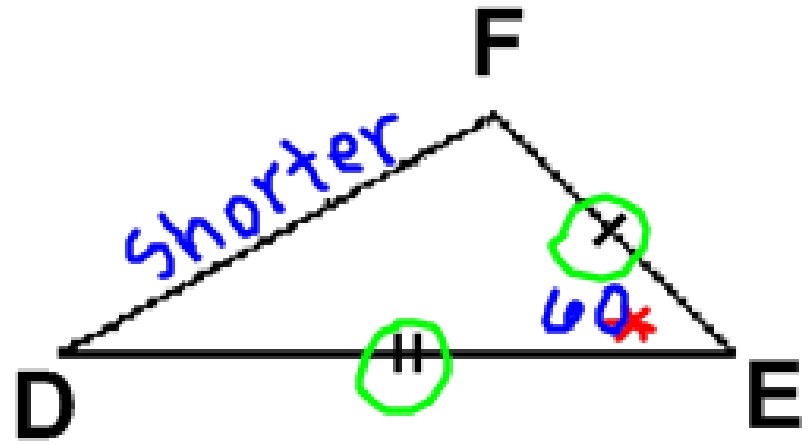
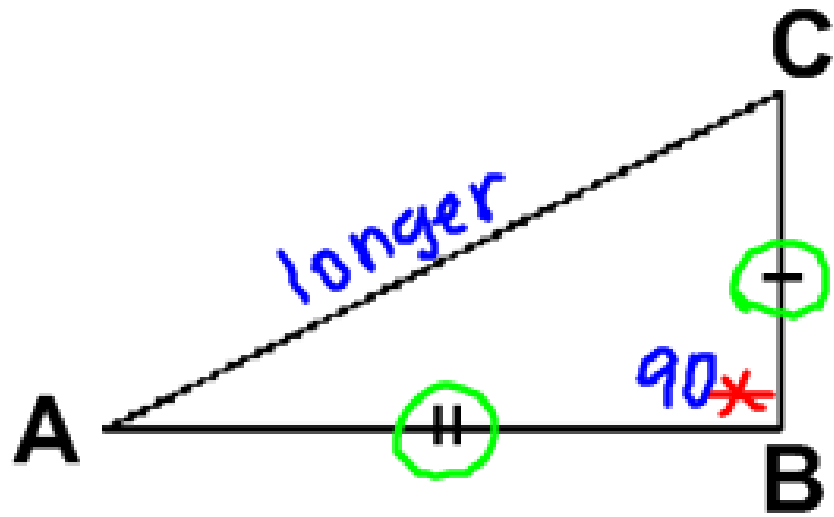
**Inequalities Involving
Two Triangles**



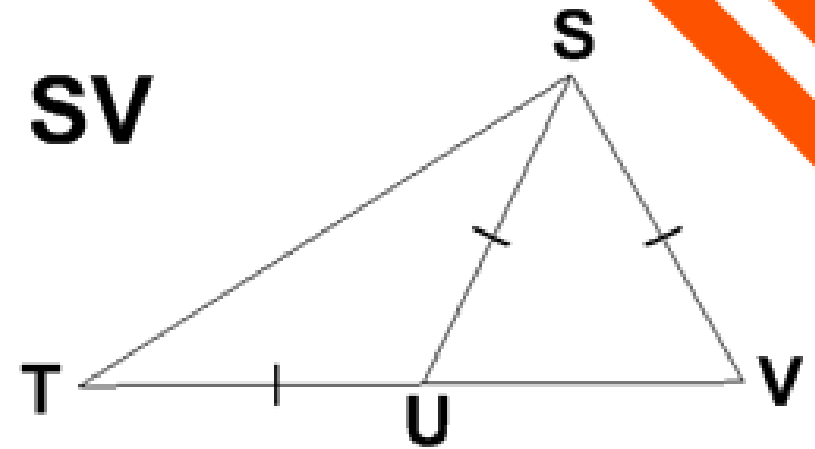
Theorem 5.13:

(SAS Inequality/Hinge Theorem)

If two sides of a triangle are congruent to two sides of another triangle and the included angle in one triangle has a greater measure than the included angle in the other, then the third side of the first triangle is longer than the third side of the second triangle.



Given: $TU \cong US$, $US \cong SV$
Prove: $ST > UV$

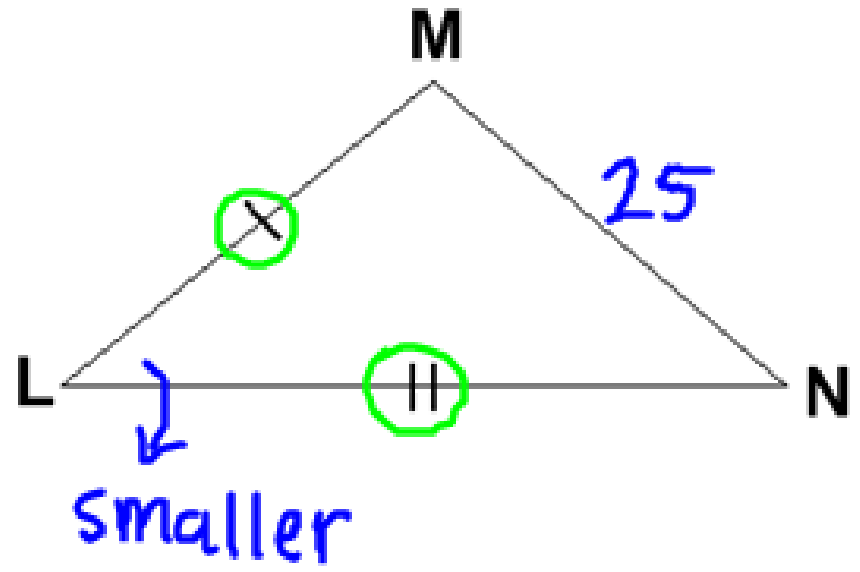
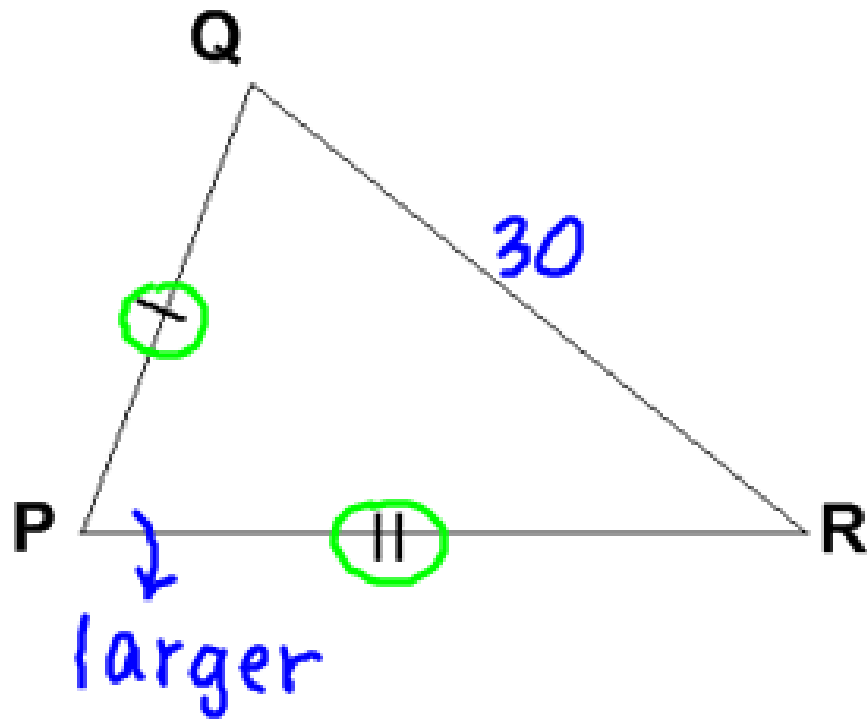


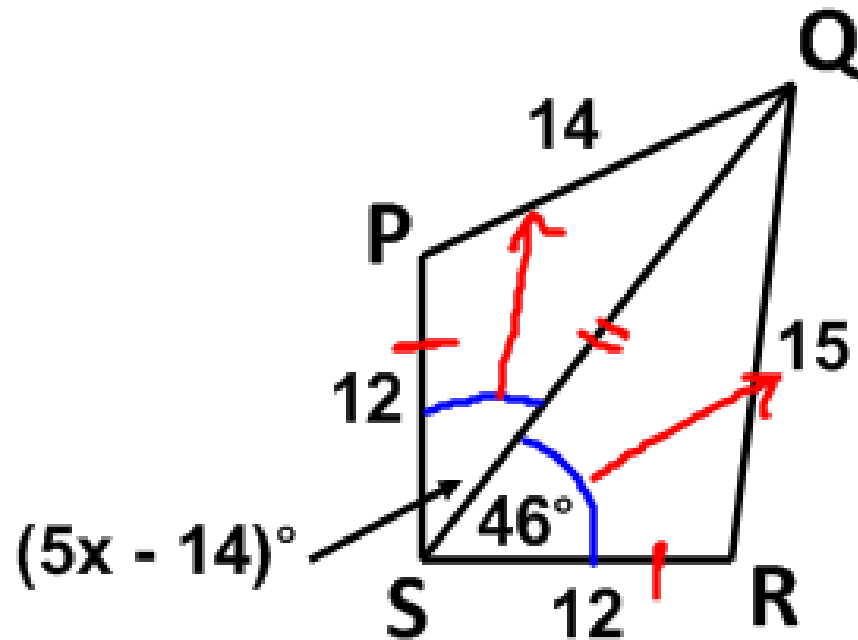
Statements	Reasons
1.	1.
2.	2.
3.	3.



**Theorem 5.14:
(SSS Inequality Theorem)**

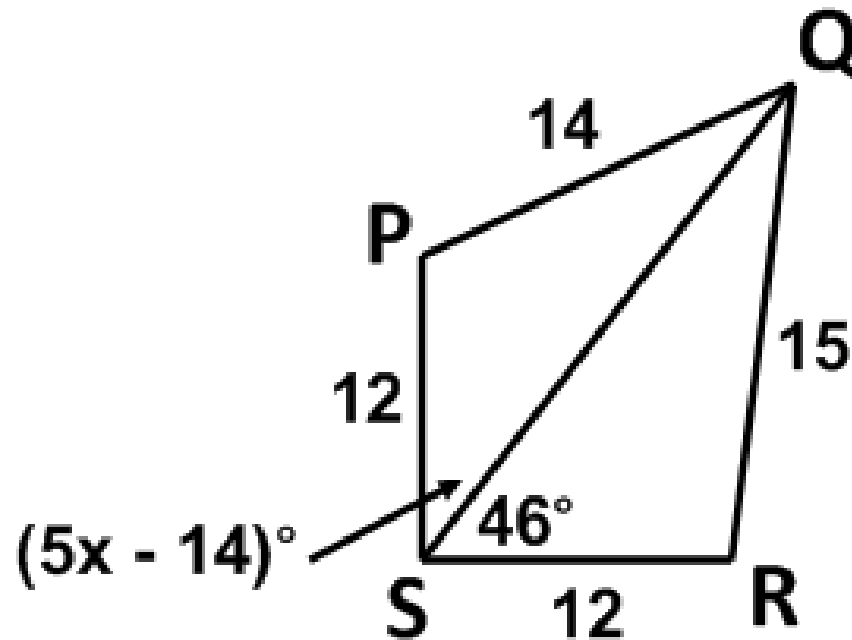
If two sides of a triangle are congruent to two sides of another triangle and the third side in one triangle is longer than the ~~third~~ side in the other, then the angle between the pair of congruent sides in the first triangle is greater than the corresponding angle in the second triangle.





Ex: Compare $m\angle QSR$ and $m\angle QSP$.

$$m\angle QSR > m\angle QSP$$



Ex: Find the range of values for x.

$$m\angle QSR > m\angle QSP$$

$$46 > 5x - 14$$

$$+14$$

$$+14$$

$$\frac{60}{5} > \frac{5x}{5}$$

$$12 > x$$

$$x < 12$$



Homework:

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